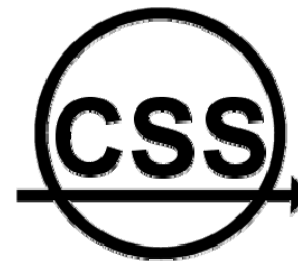
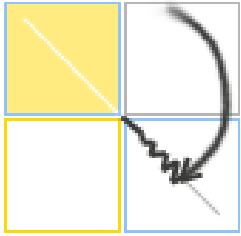


EDITOR'S NOTES

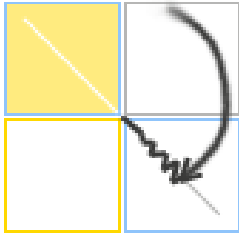




CONTENT



1. Chattering free sliding mode control is a **CONTRADICTION**
2. Usage of Super-Twisting Algorithm
3. Adaptive SMC
4. Fixed - time convergence
5. Book **chapters**
6. **Simulations**



1. CHATTERING FREE SLIDING MODE CONTROL IS A **CONTRADICTION**



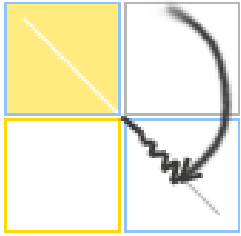
SLIDING MODE MEANS INFINITE GAIN

FINITE TIME CONVERGENCE MEANS INFINITE GAIN

**CHATTERING FREE SLIDING MODE
CONTROL**

IS A

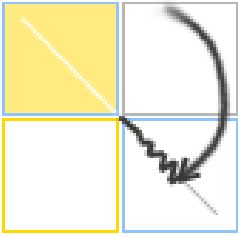
CONTRADICTION!!!



2. THE USAGE OF STA



1. Standard Super-Twisting algorithm **CAN NOT** be used for compensation of **state depending uncertainties**
2. For the case of uncertain control gains for **Generalized** STA should be carefully designed

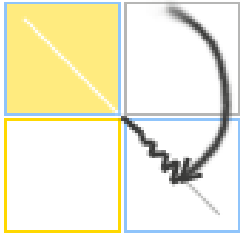


3. Adaptive SMC



When the upperbounds of derivative of perturbations is known and perturbation are Lipschitz there is no reason to adapt k-th order SMC. It is enough to upgrade SMC till the (k+1)th order continuous SMC.

The only interesting case for STA adaptation is the case when the **borders of uncertainties are unknown**



3. Adaptive SMC



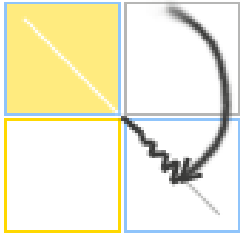
When the upperbounds for derivative of perturbations are unknown and convergence time and zone of convergence depends on the upperbounds of UNKNOWN perturbations

it is looking like it will converge but

- I do not know where
- I do not know when

The interesting result is the convergence to the zone which does not depend on perturbation!!!

This problem reminds to be open



4. FIXED time convergence



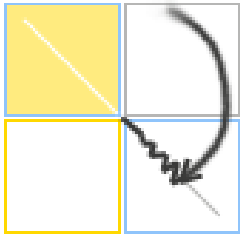
It is necessary to distinguish

1. Uniform convergence with respect to initial conditions
2. Uniformly convergent controller is a controller for which the upperbound of convergence time could be estimated in the terms of controller gains

Fixed time controller(inverse problem!)

In this case the controllers gains should be adjusted basing on desired convergence time!

This problem is still open



4. FIXED time convergence

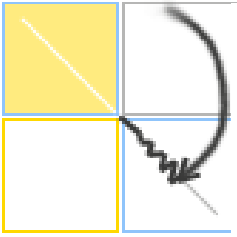


Levant (2013)

Fixed time convergence can not be realized with Euler discretization

OPEN PROBLEMS

1. To find appropriate discretization to realize fixed-time convergence
2. To find a reasonable problem statement for which fixed-time controller can be realized



Book **Chapters**



- Do not submit chapters connected with one paper only.
- Avoid copy- paste from other work.
- Do not repeat previously published graphs.
- Avoid the sentences like “chattering free sliding mode”
- Present a letter reporting on the novelty, which describes the difference between the chapter and the papers summarized and certifying there is no plagiarism.

ZOOMS are necessary

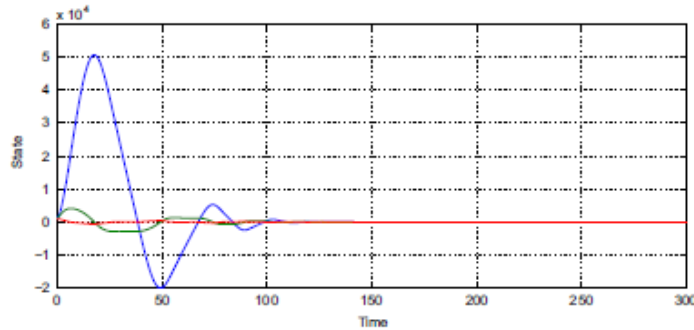


Fig. 11. Graphs of the system states (10) with disturbance $\xi(t) = \sin(1000t)$ upon applying the control law (11) with initial conditions $x_{10} = 1000$, $x_{20} = 1000$.

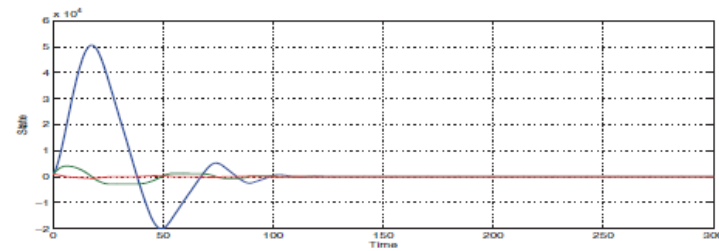


Fig. 25. Graphs of the system states (10) with disturbance $\xi(t) = \sin(1000t)$ upon applying the control law (11) with exponents $\gamma_0 = 1/10$, $\gamma_1 = 1/10$, $\gamma_2 = 1/5$ and initial conditions $x_{10} = 1000$, $x_{20} = 1000$

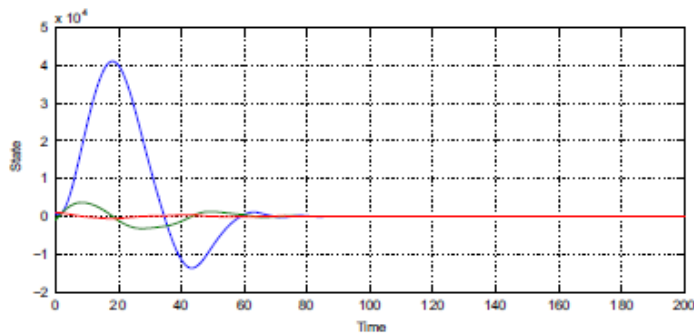


Fig. 10. Graphs of the system states (10) upon applying the control law (11) with initial conditions $x_{10} = 1000$, $x_{20} = -1000$.

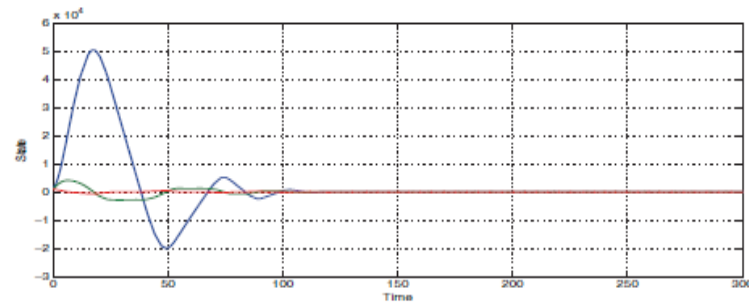
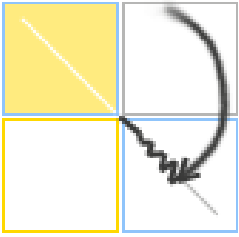


Fig. 17. Graphs of the system states (10) upon applying the control law (11) with exponents $\gamma_0 = 1/10$, $\gamma_1 = 1/10$, $\gamma_2 = 1/5$ and initial conditions $x_{10} = 1000$, $x_{20} = 1000$



Simulations



- 1. Apply constant as well as perturbations with different frequencies.
- 2. Make zooms
- 3. Make precision tests changing the sampling and showing the precisión order